#### **CLASS: M.Sc. PHYSICS**

# St. JOSEPH'S COLLEGE (AUTONOMOUS) TIRUCHIRAPPALLI – 620 002 SEMESTER EXAMINATIONS – APRIL 2015

TIME: 40 minutes

MAXIMUM N	MARKS: 30
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SEM	SET	PAPER CODE	TITLE OF THE PAPER
Π	2014	14PPH2105	QUANTUM MECHANICS

## **SECTION - A**

 $30 \times 1 = 30$ 

### Answer all the questions: Choose the correct answer:

1.	If $\left\langle n \mid \frac{1}{2}m\omega^2 x^2 \mid n \right\rangle = \left\langle n \mid \frac{p^2}{2m} \mid n \right\rangle$	n, then the expectation value of
	a) Potential and kinetic energie	es are equal
	b) $PE = 1/2KE$ c) $PE = 1/2KE$	$=\sqrt{2\text{KE}}$ d) PE $=2\text{KE}$
2.	The norm of a ket $ a\rangle$ is denoted	by $\langle a a \rangle$ is a real
	a) Negative number	b) Positive number
	c) Non-negative number	d) Non-positive number
3.	Orthonormality relation is expre	essed as
	a) $\langle a_i   a_j \rangle = \delta_{ij}$	b) $\langle a_i   a_i \rangle = \delta_{ii}$
	c) $\langle a_i   b_j \rangle = \delta_{ij}$	d) $\langle a_j   a_i \rangle = \delta_{ji}$
4.	All possible information about be derived from	a quantum mechanical system can
	a) Operators	b) Variables
	c) Wave functions	d) Eigen values
5.	The operators in QM are corresponding pair of classical v	derived from of the variables
	a) Poisson bracket	b) Hamiltonian's equation
	c) Lagrangian bracket	d) Commutator bracket

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6.	Communting operators have common set of			
	a) Eigen form b)	Eigen value		
	c) Physical variables d)	Cannonically conjugate variables		
7.	Eigen value of the angular momentum operator L <sup>2</sup> acted on the			
	eigen function $Y_{lm}(\theta, \phi)$ are			
	a) $\lambda\hbar$ b)	$\lambda \hbar^2$		
	c) $\lambda(\lambda+1)\hbar$ d)	) $\lambda(\lambda+1) \hbar^2$		
8.	The commutator [L <sub>z</sub> , L <sub>x</sub> ] results a value in			
	a) $L^2$ b) $L_x$ c) 0	d) L <sub>y</sub>		
9.	The operators $L_x$ , $L_y$ and $L_z$	are called the generators of		
	infinitesimal rotation whose gene	eral representation to find $R_{z}$ ,( $\alpha$ )		
	for some finite rotation $\alpha$ about z-	-axis is		
	a) $\exp(i\alpha L_z/\hbar)$ b)	$\exp(-i \alpha L_z/\hbar)$		
	c) $\exp(\alpha L_z/\hbar)$ d)	$exp(i\alpha L_z)/\hbar$		
10.	The different forms of iso-spins o	f pi-mesons are		
	a) 1 b) 2 c) 3	d) 4		
11.	The total angular momentum represented by	are constants of motion is		
	a) $[L^2, H] = 0$ b)	$[L_z, H] = 0$		
	c) $[L, H] = 0$ d)	$[L^3, H] = 0$		
12.	From Zeeman effect pattern, th	e number of multiplicity levels		
	informed on the spin is			
	a) (2 <i>l</i> -1) b)	) (2 <i>l</i> +1)		
	c) $l(2l-1)$ d)	<i>l</i> (2 <i>l</i> +1)		
13.	The first order of time dependent in time, leads to the	perturbation varying sinusoidally		
	a) Emission of energy only b)	Absorption of energy only		
	c) Either emission or d)	Both emission and absorption		
	absorption of energy	of energy		

- 14. The variational principle is particularly effective when estimating the energy of
  - a) The highest state of any symmetry
  - b) The lowest state of any symmetry
  - c) Any state of all symmetry
  - d) Any state all antisymmetry
- 15. There is no linear stark effect in the atoms of group 1 of the periodic table, since the energy levels of these atoms of energy E are determined only by

a) n b) 1 c) n & 1 d) m & s

- 16. Adiabatic approximation used in time dependent theory where perturbation is turned on
  - a) Fastly b) Slowly
  - c) Without any restriction d) Repeatedly
- 17. For a particle constrained to move between classical turning points  $x = x_1$  and  $x = x_2$  in a potential well, the energy levels are obtained from the condition
  - a)  $\int_{x_1}^{x_2} p(x) dx = n\hbar$  b)  $\int_{x_1}^{x_2} p(x) dx = n(n+1)\hbar$
  - c)  $\int_{x_1}^{x_2} p(x) dx = (n + 1/2)\hbar$  d)  $\int_{x_1}^{x_2} p(x) dx = (n 1/2)\hbar$
- 18. The condition for the applicability of the perturbation theory is
  - a)  $|\langle m|H_1|n\rangle^{(0)}\langle\langle E_1^{(0)}-E_2^{(0)}|$  b)  $|\langle m|H_0|n\rangle^{(0)}\langle\langle E_n^{(0)}-E_m^{(0)}|$ c)  $|\langle m|H_1|n\rangle^{(0)}\langle\langle E_n^{(0)}-E_m^{(0)}|$  d)  $|\langle m|H_1|n\rangle^{(0)}\langle\langle E_0^{(0)}-E_1^{(0)}|$
- 19. Scattering cross sections are measured in BARNS.1 BARNS is equal to

a)  $10^{-24}$  cm b)  $10^{-24}$  cm<sup>2</sup> c)  $10^{24}$  cm<sup>2</sup>

- 20. Scattering amplitude is related to the experimentally observable differential scattering cross section, whose dimension is
  a) L<sup>0</sup>
  b) L<sup>1</sup>
  c) L<sup>2</sup>
  d) L<sup>3</sup>
- 21. Low energy scattering can be explained satisfactorily with
  - a) s-wave b) p-wave c) d-wave d) q-wave

22.	Born's approximation is valid f	or_	potential at	energies.
	a) Strong, low	b)	Weak, low	
	c) Weak, high	d)	Strong, high	
23.	Born's approximation is considered to be an integral equation of the potential function of well known			
	a) Laplace transforms	b)	Fourier transforms	
	c) Spherical coordinate transfo	orm	ation	
	d) Galilean transformation			
24.	Scattering cross section depends on the momentum of the incider particle $\hbar k$ and the scattering angle $\theta$ through the combination			the incident bination
	a) $q = 2k \sin(\theta/2)$	b)	$q = 2k \sin(\theta)$	
	c) $q = k \sin(\theta/2)$	d)	$q = 2k \sin(\pi - \theta/2)$	
25.	Dirac equation describes the part	rtic	les of	
	a) <sup>1</sup> / <sub>2</sub> integral spin	b)	Integral spin	
	c) Zero spin	d)	No restriction in spi	n
26.	$\alpha_x$ , $\alpha_y$ and $\alpha_z$ in Dirac matrices	are	only	
	a) $(4 \times 4)$ Pauli matrices $\sigma_i$	b)	$(2 \times 4)$ Pauli matric	es $\sigma_i$
	c) $(2 \times 2)$ Pauli matrices $\sigma_i$	d)	$(4 \times 2)$ Pauli matric	es $\sigma_i$
27.	The magnetic moment of the ch	narg	ge particle is	
	a) $\frac{1}{2}\hbar\sigma'$ b) $\hbar\sigma'$ c) $\frac{e}{m_0}$	$\frac{1}{c}$	$\left[\frac{1}{2}\hbar\sigma'\right]$ d) 0	
28.	The relativistic relation for the	tota	l energy E of a free p	particle with
	rest mass m is			
	a) $E^2 = c^2 p^2 + m^2 c^4$	b)	$\mathbf{E}^2 = \mathbf{c}^2 \mathbf{p}^2 + \mathbf{m}^2 \mathbf{c}^2$	
	c) $E^2 = m^2 c^4$	d)	$E^2 = cp + mc^2$	
29.	Which of the following is corre	ct?		
	a) Trace $\alpha_i$ = Trace $\beta$ = 0	b)	Trace $\alpha_i = 0$ but Tra	ace $\beta \neq 0$
	c) Trace $\alpha_i \neq 0$ but Trace $\beta = 0$	d)	Trace $\alpha$ = Trace $\beta$ =	<i></i> ± 0
30.	If H is the Dirac's Hamiltonian,	, the	e dx/dt will be	
	a) $c\overline{\alpha}$ b) $\alpha/c$ c) $c\hat{\beta}$	d) ***	) 1/cβ̂ *****	